

# NEXT GENERATION INTERNET

**The GNU Taler Payment System**

Christian Grothoff

Traffic Seminar — ETHZ

# Agenda

Motivation & Background

GNU Taler: Introduction

Protocol Basics

Component Zoo

Offline payments

Programmable money: Age restrictions

Future Work & Conclusion

# A Social Problem

This was a question posed to RAND researchers in 1971:

*“Suppose you were an advisor to the head of the KGB. Suppose you are given the assignment of designing a system for the surveillance of all citizens and visitors within the boundaries of the USSR. The system is not to be too obtrusive or obvious. What would be your decision?”*

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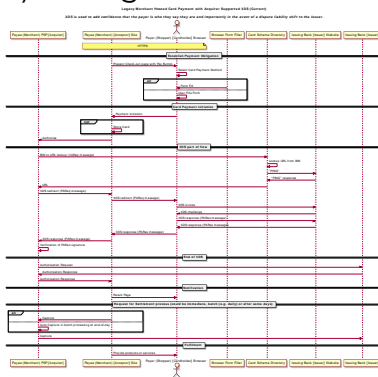
“I think one of the big things that we need to do, is we need to get away from true-name payments on the Internet. The credit card payment system is one of the worst things that happened for the user, in terms of being able to divorce their access from their identity.”

–Edward Snowden, IETF 93 (2015)

# Banks have Problems, too!

## 3D secure ("verified by visa") is a nightmare:

- ▶ Complicated process
- ▶ Shifts liability to consumer
- ▶ Significant latency
- ▶ Can refuse valid requests
- ▶ Legal vendors excluded
- ▶ No privacy for buyers



## Online credit card payments will be replaced, but with what?

# The Bank's Problem

- ▶ Global tech companies push oligopolies
- ▶ Privacy and federated finance are at risk
- ▶ Economic sovereignty is in danger



# Predicting the Future

- ▶ Google and Apple will be your bank and run your payment system
- ▶ They can target advertising based on your purchase history, location and your ability to pay
- ▶ They will provide more usable, faster and broadly available payment solutions; our federated banking system will be history
- ▶ After they dominate the payment sector, they will start to charge fees befitting their oligopoly size
- ▶ Competitors and vendors not aligning with their corporate “values” will be excluded by policy and go bankrupt
- ▶ The imperium will have another major tool for its financial warfare

# Central Bank Digital Currency?

Speech by Augustin Carstens, Bank of International Settlements (October 2020) on the difference between Central Bank Digital Currencies and cash.

Central Bank Digital Currency vs. Cash

[https://www.youtube.com/watch?v=R\\_E4Uu7ycqE](https://www.youtube.com/watch?v=R_E4Uu7ycqE) (10'2020)



# The Emergency Act of Canada

Speech by Premier Kenney, Alberta, February 2022.

The Emergency Act of Canada

<https://www.youtube.com/watch?v=NehMAj492SA> (2'2022)

## **GNU Taler: Introduction**

GNU Taler [1, 3, 2]

**Digital** cash, made **socially responsible**.



Privacy-Preserving, Practical, Taxable, Free Software, Efficient

# What is Taler?

<https://taler.net/en/features.html>

Taler is

- ▶ a Free/Libre software *payment system* infrastructure project
- ▶ ... with a surrounding software ecosystem
- ▶ ... and a company (Taler Systems S.A.) and community that wants to deploy it as widely as possible.

However, Taler is

- ▶ *not* a currency or speculative asset
- ▶ *not* a long-term store of value
- ▶ *not* a network or instance of a system
- ▶ *not* based on proof-of-work or proof-of-stake

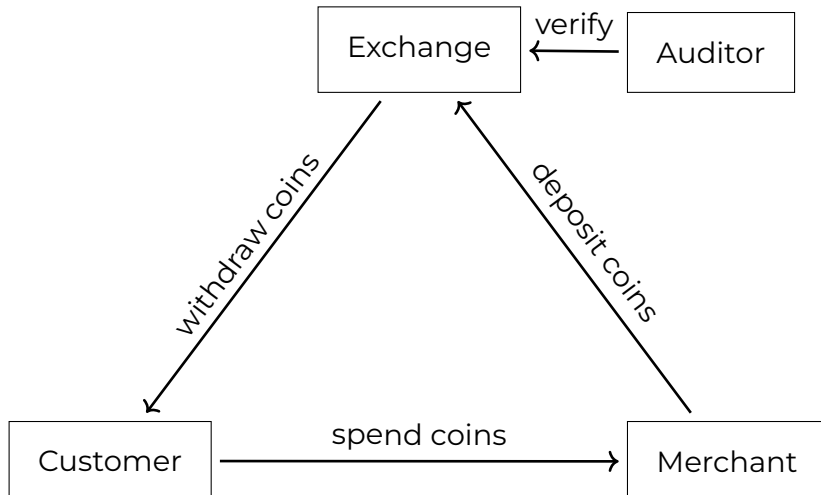
# Design principles

<https://taler.net/en/principles.html>

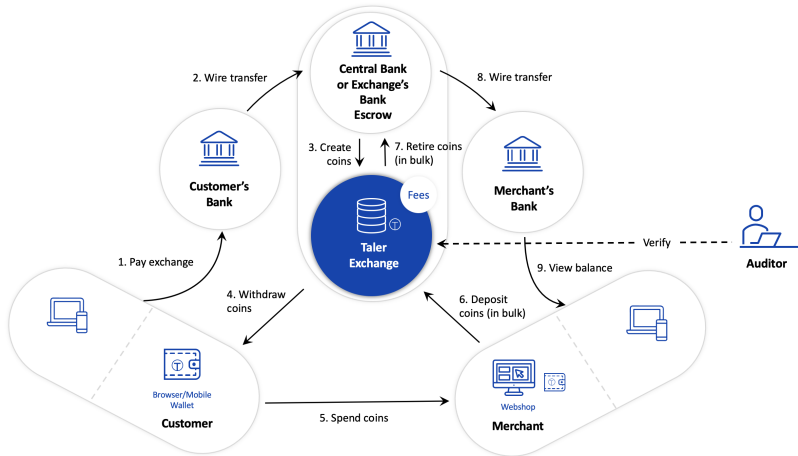
GNU Taler must ...

1. ... be implemented as **free software**.
2. ... protect the **privacy of buyers**.
3. ... enable the state to **tax income** and crack down on illegal business activities.
4. ... prevent payment fraud.
5. ... only **disclose the minimal amount of information necessary**.
6. ... be usable.
7. ... be efficient.
8. ... avoid single points of failure.
9. ... foster **competition**.

# Taler Overview



# Architecture of Taler



# Consumer Impact of Taler

- ▶ **Convenient:** pay with one click instantly — in Euro, Dollar, Yen or Bitcoin
- ▶ **Friction-free security:** Payments do not require sign-up, login or multi-factor authentication
- ▶ **Privacy-preserving:** payment requires/shares no personal information
- ▶ **Bank account:** not required



# Merchant Impact of Taler

- ▶ **Instant clearance:** one-click transactions and instant clearance at par
- ▶ **Easy & compliant:** GDPR & PCI-DSS compliance-free and without any effort
- ▶ **Major profit increase:** efficient protocol + no fraud = extremely low costs
- ▶ **1-click checkout:** without Amazon and without false positives in fraud detection

# Usability of Taler

`https://demo.taler.net/`

1. Install browser extension.
2. Visit the `bank.demo.taler.net` to withdraw coins.
3. Visit the `shop.demo.taler.net` to spend coins.

## **Protocol Basics**



# How does it work?

We use a few ancient constructions:

- ▶ Cryptographic hash function (1989)
- ▶ Blind signature (1983)
- ▶ Schnorr signature (1989)
- ▶ ~~Diffie-Hellman key exchange (1976)~~ Deterministic signatures (1977)
- ▶ Cut-and-choose zero-knowledge proof (1985)

But of course we use modern instantiations.

# Definition: Taxability

We say Taler is taxable because:

- ▶ Merchant's income is visible from deposits.
- ▶ Hash of contract is part of deposit data.
- ▶ State can trace income and enforce taxation.

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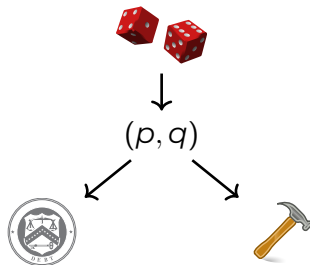
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Limitations:

- ▶ withdraw loophole
- ▶ *sharing* coins among family and friends

# Exchange setup: Create a denomination key (RSA)

1. Generate random primes  $p, q$ .
2. Compute  $n := pq$ ,  
 $\phi(n) = (p - 1)(q - 1)$
3. Pick small  $e < \phi(n)$  such that  $d := e^{-1} \bmod \phi(n)$  exists.
4. Publish public key  $(e, n)$ .





# Merchant: Create a signing key (EdDSA)

- ▶ Generate random number  $m \bmod o$  as private key
- ▶ Compute public key  $M := mG$



↓  
 $m$

↓  
 $M$

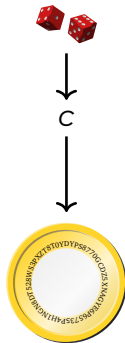
**Capability:**

$m \Rightarrow$



# Customer: Create a planchet (EdDSA)

- ▶ Generate random number  $c \bmod o$  as private key
- ▶ Compute public key  $C := cG$

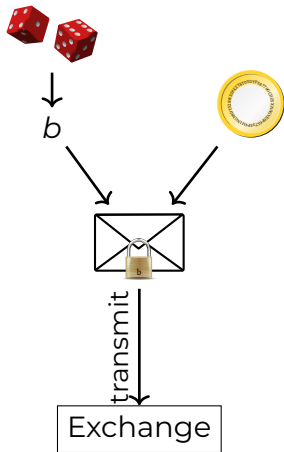


**Capability:**  $c \Rightarrow$



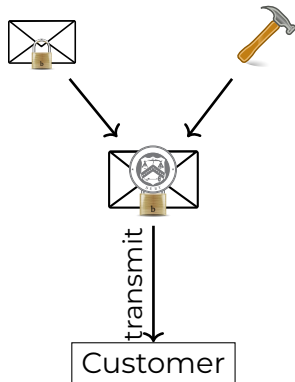
# Customer: Blind planchet (RSA)

1. Obtain public key  $(e, n)$
2. Compute  $f := \text{FDH}(C)$ ,  
 $f < n$ .
3. Generate random blinding factor  $b \in \mathbb{Z}_n$
4. Transmit  $f' := fb^e \pmod n$



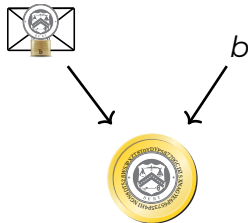
# Exchange: Blind sign (RSA)

1. Receive  $f'$ .
2. Compute  $s' := f'^d \bmod n$ .
3. Send signature  $s'$ .

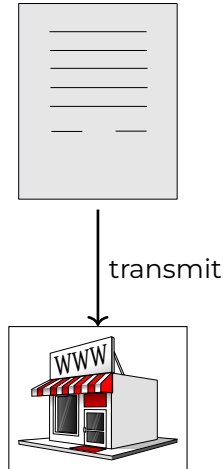


# Customer: Unblind coin (RSA)

1. Receive  $s'$ .
2. Compute  $s := s'b^{-1} \bmod n$

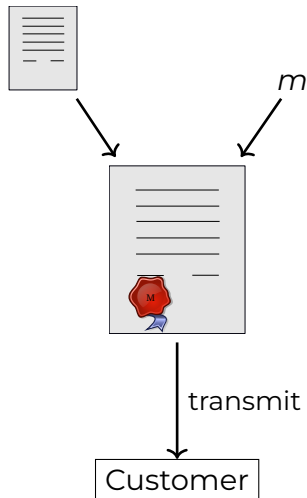


# Customer: Build shopping cart



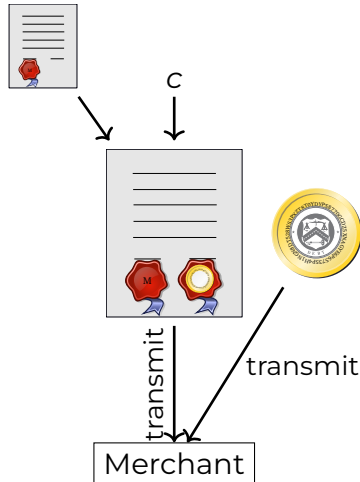
# Merchant: Propose contract (EdDSA)

1. Complete proposal  $D$ .
2. Send  $D, \text{EdDSA}_m(D)$



# Customer: Spend coin (EdDSA)

1. Receive proposal  $D$ ,  $EdDSA_m(D)$ .
2. Send  $s$ ,  $C$ ,  $EdDSA_c(D)$





# Merchant and Exchange: Verify coin (RSA)

$$s^e \stackrel{?}{\equiv} FDH(C) \pmod{n}$$



The exchange does not only verify the signature, but also checks that the coin was not double-spent.

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**Taler is an online payment system.**

# Giving change

It would be inefficient to pay EUR 100 with 1 cent coins!

- ▶ Denomination key represents value of a coin.
- ▶ Exchange may offer various denominations.
- ▶ Wallet may not have exact change!
- ▶ Must be able to pay given sufficient total funds.

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- ▶ maintain unlinkability
- ▶ maintain taxability of transactions

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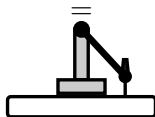
Method:

- ▶ Contract can specify to pay *partial value* of a coin.
- ▶ Allow wallet to obtain *unlinkable change*.

# Unique Signatures

- ▶ Some public key operations depend on a nonce or “random” value
  - ▶ Ex.: DSA/ECDSA (signing)
    - + same plaintext, different ciphertext
    - security may break on nonce-reuse
- ▶ Generating the nonce deterministically by hashing all inputs (see also: Fiat-Shamir transformation) can make these algorithms **deterministic**
  - ▶ Ex.: EdDSA
- ▶ If only one form of a valid signature exists and the verifier can check this, a signature is **unique**.
  - ▶ Ex.: RSA, Verifiable Random Func.

Unique signatures:



# Verifiable Random Functions

Micali, Rabin, & Vadhan (1999) proposed verifiable random functions.

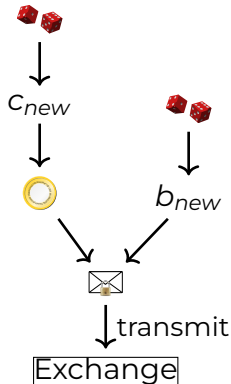
Let  $M$  be some input.

- ▶  $(sk, pk) := VRF_{keygen}()$
- ▶ *Verifier* picks  $M$
- ▶  $(v, p) := VRF_{sign}(M, sk)$
- ▶  $v$  is deterministic, unpredictable and high-entropy for any  $M$  and  $sk$ , and  $(v, p)$  can only be computed with  $sk$
- ▶  $VRF_{verify}(M, pk, v, p)$  returns true only if  $v$  was computed correctly
- ▶  $sk$  cannot be derived from  $M, pk, v$  and  $p$

# Straw-man solution

Given partially spent private coin key  $c_{old}$ :

1. Pick random  $c_{new}$  mod  $o$  private key
  2. Compute  $C_{new} := c_{new}G$  public key
  3. Pick random  $b_{new}$
  4. Compute  $f_{new} := FDH(C_{new})$ ,  
 $m < n$ .
  5. Transmit  $f'_{new} := f_{new}b_{new}^e \mod n$
- ... and sign request for change with  $c_{old}$ .

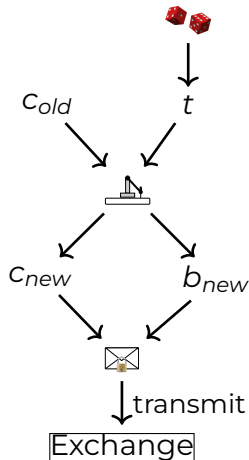




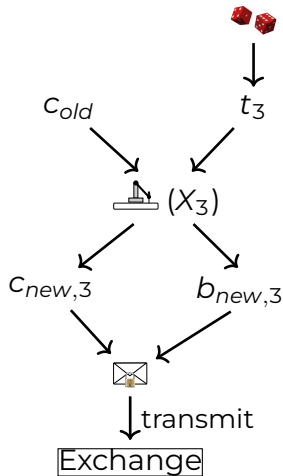
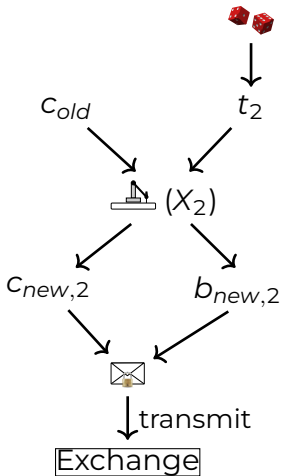
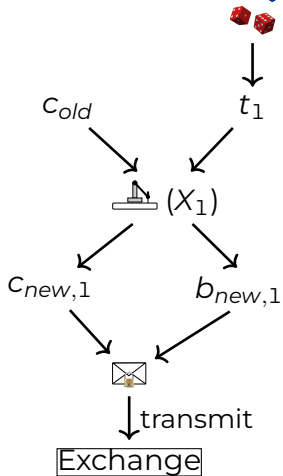
# Customer: Transfer setup (UNISIG)

Given partially spent private coin key  $c_{old}$ :

1. Let  $C_{old} := c_{old}G$  (as before)
2. Create random nonce  $t$
3. Compute unique signature  
 $X := UNISIG_{c_{old}}(t)$
4. Derive  $c_{new}$  and  $b_{new}$  from  $X$  using HKDF
5. Compute  $C_{new} := c_{new}G$
6. Compute  $f_{new} := FDH(C_{new})$
7. Transmit  $f'_{new} := f_{new}b_{new}^e$



# Cut-and-Choose



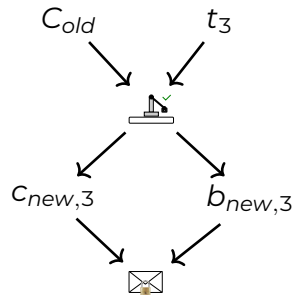
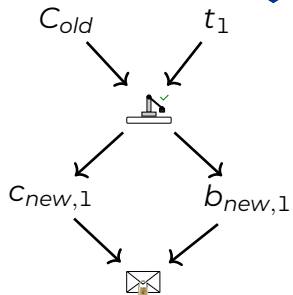
# Exchange: Choose!

Exchange sends back random  $\gamma \in \{1, 2, 3\}$  to the customer.

# Customer: Reveal

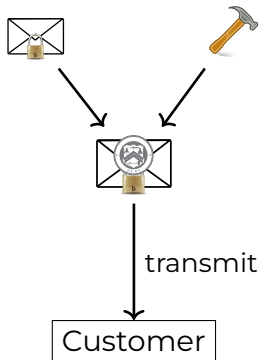
1. If  $\gamma = 1$ , send  $\langle t_2, X_2 \rangle, \langle t_3, X_3 \rangle$  to exchange
2. If  $\gamma = 2$ , send  $\langle t_1, X_1 \rangle, \langle t_3, X_3 \rangle$  to exchange
3. If  $\gamma = 3$ , send  $\langle t_1, X_1 \rangle, \langle t_2, X_2 \rangle$  to exchange

# Exchange: Verify ( $\gamma = 2$ )



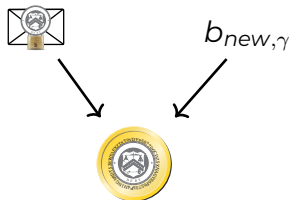
# Exchange: Blind sign change (RSA)

1. Take  $f'_{new,\gamma}$ .
2. Compute  $s' := f'^d_{new,\gamma} \bmod n$ .
3. Return signature  $s'$ .



# Customer: Unblind change (RSA)

1. Receive  $s'$ .
2. Compute  $s := s' b_{new,\gamma}^{-1} \bmod n$ .

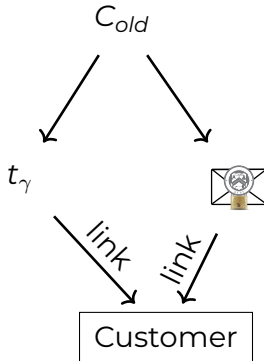


# Exchange: Allow linking change

Given  $C_{old}$

return  $t_\gamma$  and

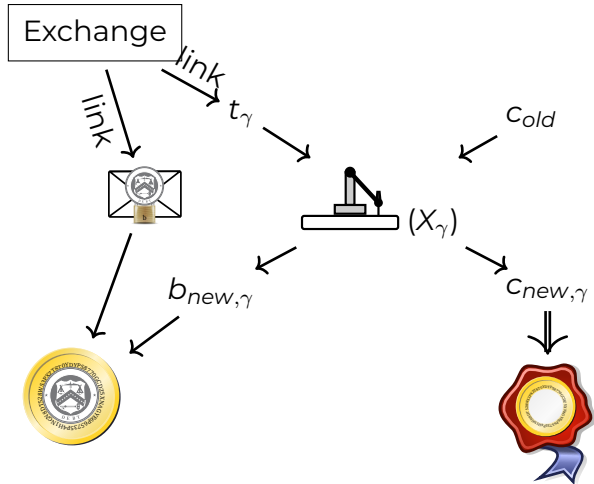
$$s := s' b_{new, \gamma}^{-1} \mod n.$$





# Customer: Link (threat!)

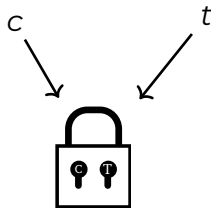
1. Have  $c_{old}$ .
2. Obtain  $T_\gamma, s$  from exchange
3. Compute  $X_\gamma = UNISIG_{c_{old}}(t_\gamma)$
4. Derive  $c_{new,\gamma}$  and  $b_{new,\gamma}$  from  $X_\gamma$
5. Unblind  $s := s' b_{new,\gamma}^{-1} \mod n$



# VRF vs. Dold'19 with Diffie-Hellman (ECDH)

VRF/unique signatures are *slightly* stronger than required!

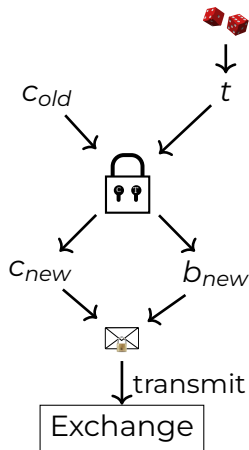
1. Create private keys  $c, t \bmod o$
2. Define  $C = cG$
3. Define  $T = tG$
4. Compute DH  
 $cT = c(tG) = t(cG) = tC$
5. Sign  $T$  with EdDSA: DH is unique, with EdDSA we have a signature,  $t$  allows verifier to check!



# Transfer setup with ECDH-based Refresh

Given partially spent private coin key  $c_{old}$ :

1. Let  $C_{old} := c_{old}G$  (as before)
2. Create random private transfer key  $t \bmod o$
3. Compute  $T := tG$
4. Compute  $X := c_{old}(tG) = t(c_{old}G) = tC_{old}$
5. Derive  $c_{new}$  and  $b_{new}$  from  $X$
6. Compute  $C_{new} := c_{new}G$
7. Compute  $f_{new} := FDH(C_{new})$
8. Transmit  $f'_{new} := f_{new}b_{new}^e$



# Refresh protocol summary

- ▶ Customer asks exchange to convert old coin to new coin
- ▶ Protocol ensures new coins can be recovered from old coin
- ⇒ New coins are owned by the same entity!

Thus, the refresh protocol allows:

- ▶ To give unlinkable change.
- ▶ To give refunds to an anonymous customer.
- ▶ To expire old keys and migrate coins to new ones.
- ▶ To handle protocol aborts.

**Transactions via refresh are equivalent to *sharing* a wallet.**

## Component Zoo

# The Taler Software Ecosystem: Overview

Taler is based on modular components that work together to provide a complete payment system:

- ▶ **Exchange:** Service provider for digital cash
  - ▶ Core exchange software (cryptography, database)
  - ▶ Air-gapped key management, real-time **auditing**
  - ▶ **libeufin**: Modular integration with banking systems
  - ▶ **challenger**: KYC service with OAuth 2.0 API
- ▶ **Merchant:** Integration service for existing businesses
  - ▶ Core merchant backend software (cryptography, database)
  - ▶ **Back-office interface** for staff
  - ▶ **Frontend integration** (E-commerce, Point-of-sale)
- ▶ **Wallet:** Consumer-controlled applications for e-cash
  - ▶ Multi-platform wallet software (for browsers & mobile phones)
  - ▶ Wallet backup storage providers (**sync** & **Anastasis**)

# Taler Exchange

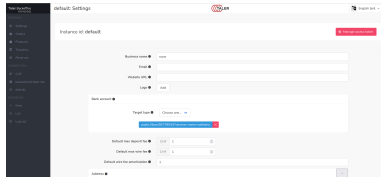
The **Exchange** is the core logic of the payment system.

- ▶ One exchange at minimum must be operated per currency
- ▶ Offers a REST API for merchants and customers
- ▶ Uses several helper processes for configuration and to interact with RTGS and cryptography
- ▶ KYC support via OAuth 2.0, KycAID or Persona APIs

# Taler Merchant

The **Merchant** is the software run by merchants to accept GNU Taler payments.

- ▶ REST API for integration with e-commerce
- ▶ SPA provides Web interface for administration
- ▶ Features include:
  - ▶ Multi-tenant support
  - ▶ Refunds
  - ▶ Templates
  - ▶ Webhooks
  - ▶ Inventory management (optional)

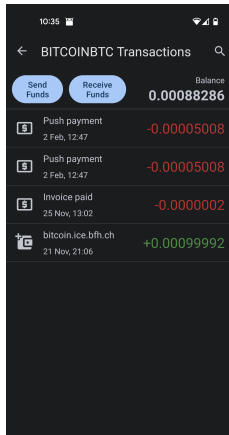




# Taler Wallet

The **Wallet** is the software run by consumers to store their digital cash and authorize transactions.

- ▶ **wallet-core** is the logic shared by all interfaces
- ▶ Works on Android, F-Droid, iOS, Ubuntu Touch, WebExtension (Chrome, Chromium, Firefox, etc.)
- ▶ Features include:
  - ▶ Multi-currency support
  - ▶ Wallet-to-wallet payments (NFC or QR code)
  - ▶ CRDT-like data model



# Taler Auditor

The **Auditor** is the software run by an independent auditor to validate the operation of an Exchange.

- ▶ REST API for additional report inputs by merchants (optional)
- ▶ Secure database replication logic

# libeufin-nexus

libeufin-nexus allows Taler components to interact with a core banking system. It:

- ▶ provides an implementation of the Wire Gateway for the exchange
- ▶ supports EBICS 2.5 and 3.0
- ▶ other APIs such as FinTS or PSD2-style XS2A APIs can be added without requiring changes to the Exchange
- ▶ was tested with GLS Bank (DE) and Postfinance (CH) accounts and real EUR/CHF

# libeufin-bank

libeufin-bank implements a standalone bank with a Web interface. It:

- ▶ provides the Taler Core Bank API for RESTful online banking using a Web interface (with multi-factor authentication)
- ▶ includes a Taler Wire Gateway for the exchange
- ▶ offers the Taler Bank Integration API to allow wallets to easily withdraw digital cash
- ▶ optionally provides the Taler Conversion Info API for currency conversion between fiat and regional currencies
- ▶ optionally integrates with libeufin-nexus to interact with a core banking system

# Challenger

Challenger allows clients to obtain validated address (KYC) data about users:

- ▶ Customizable Web-based process for address validation
- ▶ Can validate phone numbers, e-mail addresses or physical mailing addresses
- ▶ Provides an exchange-compatible OAuth 2.0 API

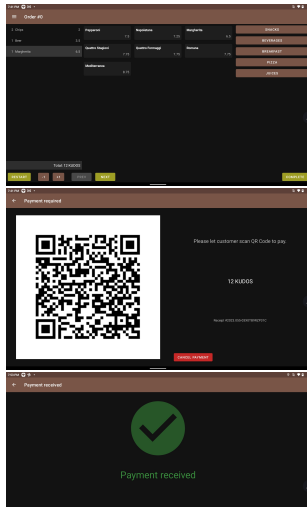
# Depolymerization

Depolymerization is a bridge between GNU Taler and blockchains, making Taler a layer 2 system for crypto-currencies (like Lightning).

- ▶ provides an implementation of the Wire Gateway for the exchange
- ▶ Works on top of Bitcoin and Ethereum crypto-currencies, with the DLTs as the “RTGS”
- ▶ Provides same API to Exchange as libeufin-nexus

# Point-of-Sale App for Android

- ▶ Allows merchant to generate orders against Taler backend and display QR code to enable customer to pay in person
- ▶ Patterned after ViewTouch restaurant UI



# Payment plugins

The screenshot shows a WooCommerce checkout page. At the top, there's a navigation bar with 'MY ACCOUNT', 'CHECKOUT', and 'CART'. Below this, the page is divided into two main sections: 'Billing details' and 'Additional information'. The 'Billing details' section includes fields for 'First name', 'Last name', 'Country / Region', 'Street address', 'House number and street name', 'Town / City', 'Postcode / ZIP', and 'Email address'. The 'Additional information' section has a text area for 'Order notes (optional)'. Below these sections is a table titled 'Your order' showing the product 'Free as in Freedom 2.0 by Richard Stallman x1', the subtotal '10.00', and the total '10.00'. At the bottom, there's a 'Place order' button and a 'TALER' logo.

Product	Subtotal
Free as in Freedom 2.0 by Richard Stallman x1	10.00
<b>Subtotal</b>	10.00
<b>Total</b>	10.00

- ▶ Pretix, ticket sales system
- ▶ Joomla!, an e-commerce platform
- ▶ WooCommerce, an e-commerce solution on top of WordPress
- ▶ DrupalCommerce, an e-commerce solution on top of Drupal

Ticketing software that cares about your event—all the way.



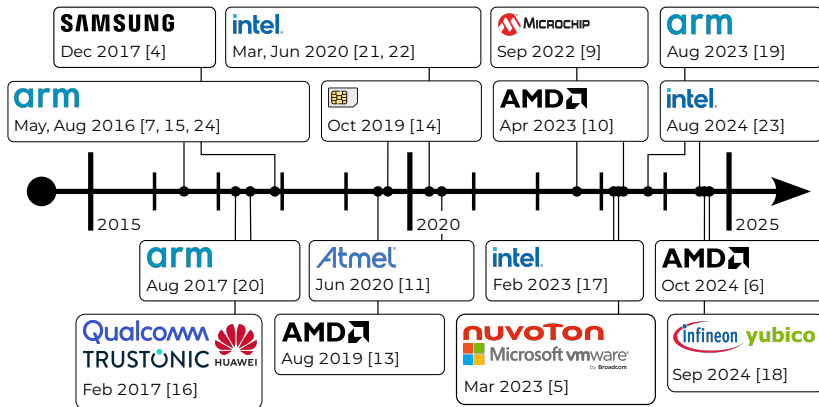
## **Offline payments**

# Digitaler Euro — Offline?

Many central banks today demand offline capabilities for CBDCs.

# Digitaler Euro — Offline?

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# A Scenario

God is offline, but customer pays online

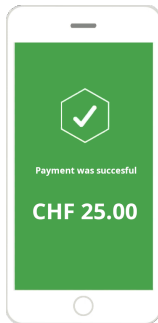


# Typical Payment Process

All equivalent: Twint, PayPal, AliPay, PayTM

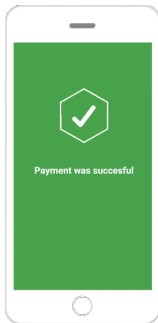
# Secure Payment ...

Everything green?



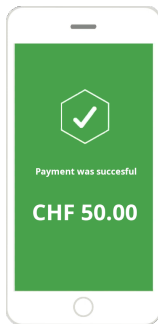
# Exploit “Code”

Programming optional



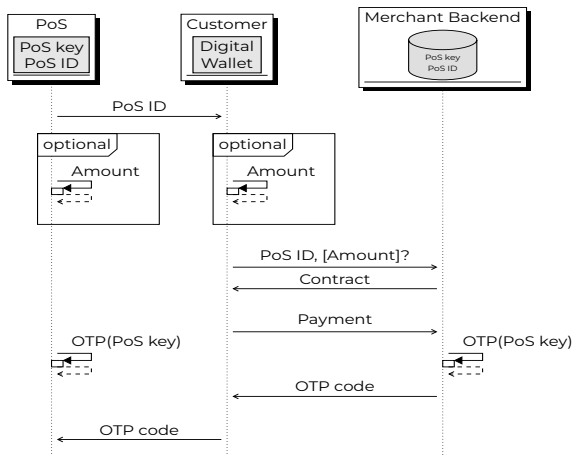
# “Customers” love Twint ...

Daily non-business for shops





# Partially Offline Payments with GNU Taler [8]



**Programmable money: Age restrictions [12]**

# Age restriction in E-commerce

## Problem:

Verification of minimum age requirements in e-commerce.

## Common solutions:

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For age-restriction, the lowest level of authority is:

Parents, guardians and caretakers



# Age restriction design for GNU Taler

Design and implementation of an age restriction scheme with the following goals:

1. It ties age restriction to the **ability to pay** (not to ID's)
2. maintains **anonymity of buyers**
3. maintains **unlinkability of transactions**
4. aligns with **principle of subsidiarity**
5. is **practical and efficient**

# Age restriction

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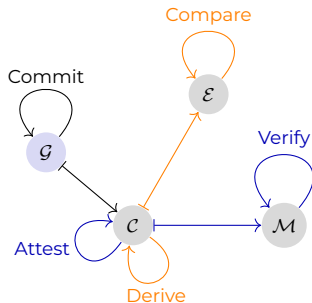
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# Formal Function Signatures

Searching for functions

Commit

Attest

Verify

Derive

Compare

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Searching for functions with the following signatures

Commit :  $(a, \omega) \mapsto (Q, P)$   $\mathbb{N}_M \times \Omega \rightarrow \mathbb{O} \times \mathbb{P},$   
Attest  
Verify  
Derive  
Compare

Mnemonics:

$\mathbb{O} = c\mathbb{O}mmitments$ ,  $Q = Q\text{-}mitment$  (commitment),  $\mathbb{P} = \mathbb{P}roofs$ ,

# Formal Function Signatures

Searching for functions with the following signatures

Commit :  $(a, \omega) \mapsto (Q, P)$

Attest :  $(m, Q, P) \mapsto T$

Verify

Derive

Compare

$$\mathbb{N}_M \times \Omega \rightarrow \mathbb{O} \times \mathbb{P},$$

$$\mathbb{N}_M \times \mathbb{O} \times \mathbb{P} \rightarrow \mathbb{T} \cup \{\perp\},$$

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Verify :  $(m, Q, T) \mapsto b$

Derive

Compare

$$\mathbb{N}_M \times \Omega \rightarrow \mathbb{O} \times \mathbb{P},$$

$$\mathbb{N}_M \times \mathbb{O} \times \mathbb{P} \rightarrow \mathbb{T} \cup \{\perp\},$$

$$\mathbb{N}_M \times \mathbb{O} \times \mathbb{T} \rightarrow \mathbb{Z}_2,$$

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# Formal Function Signatures

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Commit :	$(a, \omega) \mapsto (Q, P)$	$N_M \times \Omega \rightarrow \mathbb{O} \times \mathbb{P},$
Attest :	$(m, Q, P) \mapsto T$	$N_M \times \mathbb{O} \times \mathbb{P} \rightarrow T \cup \{\perp\},$
Verify :	$(m, Q, T) \mapsto b$	$N_M \times \mathbb{O} \times T \rightarrow \mathbb{Z}_2,$
Derive :	$(Q, P, \omega) \mapsto (Q', P', \beta)$	$\mathbb{O} \times \mathbb{P} \times \Omega \rightarrow \mathbb{O} \times \mathbb{P} \times \mathbb{B},$
Compare		

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Mnemonics:

$\mathbb{O}$  = cOmmittments,  $Q$  = Q-mitment (commitment),  $\mathbb{P}$  = Proofs,  $P$  = Proof,  
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Compare :	$(Q, Q', \beta) \mapsto b$	$\mathbb{O} \times \mathbb{O} \times \mathbb{B} \rightarrow \mathbb{Z}_2,$

with  $\Omega, \mathbb{P}, \mathbb{O}, \mathbb{T}, \mathbb{B}$  sufficiently large sets.

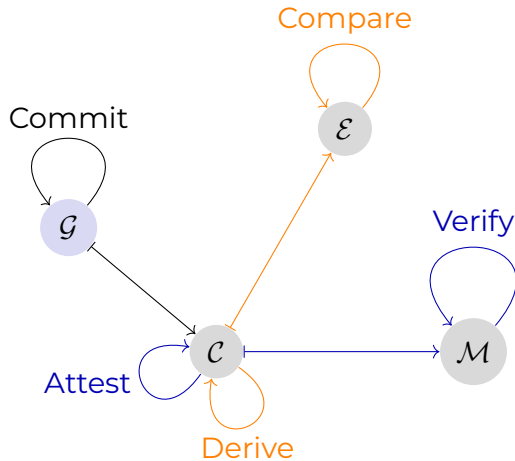
Basic and security requirements are defined later.

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# Age restriction

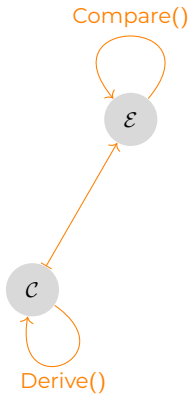
## Naïve scheme



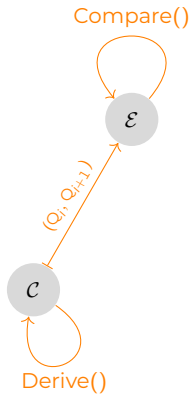


# Achieving Unlinkability

Simple use of Derive() and Compare() is problematic.



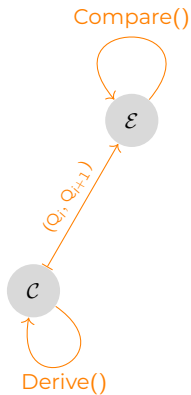
# Achieving Unlinkability



Simple use of  $\text{Derive()}$  and  $\text{Compare()}$  is problematic.

- ▶ Calling  $\text{Derive()}$  iteratively generates sequence  $(Q_0, Q_1, \dots)$  of commitments.
- ▶ Exchange calls  $\text{Compare}(Q_i, Q_{i+1}, \cdot)$

# Achieving Unlinkability



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- ▶ Exchange calls `Compare( $Q_i, Q_{i+1}, \cdot$ )`

⇒ **Exchange identifies sequence**

⇒ **Unlinkability broken**

# Achieving Unlinkability

Define cut&choose protocol  $\text{DeriveCompare}_\kappa$ , using  $\text{Derive}()$  and  $\text{Compare}()$ .

# Achieving Unlinkability

Define cut&choose protocol **DeriveCompare $_{\kappa}$** , using `Derive()` and `Compare()`.

Sketch:

1.  $\mathcal{C}$  derives commitments  $(Q_1, \dots, Q_{\kappa})$  from  $Q_0$  by calling `Derive()` with blindings  $(\beta_1, \dots, \beta_{\kappa})$
2.  $\mathcal{C}$  calculates  $h_0 := H(H(Q_1, \beta_1) || \dots || H(Q_{\kappa}, \beta_{\kappa}))$
3.  $\mathcal{C}$  sends  $Q_0$  and  $h_0$  to  $\mathcal{E}$
4.  $\mathcal{E}$  chooses  $\gamma \in \{1, \dots, \kappa\}$  randomly
5.  $\mathcal{C}$  reveals  $h_{\gamma} := H(Q_{\gamma}, \beta_{\gamma})$  and all  $(Q_i, \beta_i)$ , except  $(Q_{\gamma}, \beta_{\gamma})$
6.  $\mathcal{E}$  compares  $h_0$  and  $H(H(Q_1, \beta_1) || \dots || h_{\gamma} || \dots || H(Q_{\kappa}, \beta_{\kappa}))$  and evaluates `Compare`( $Q_0, Q_i, \beta_i$ ).

Note: Scheme is similar to the *refresh* protocol in GNU Taler.

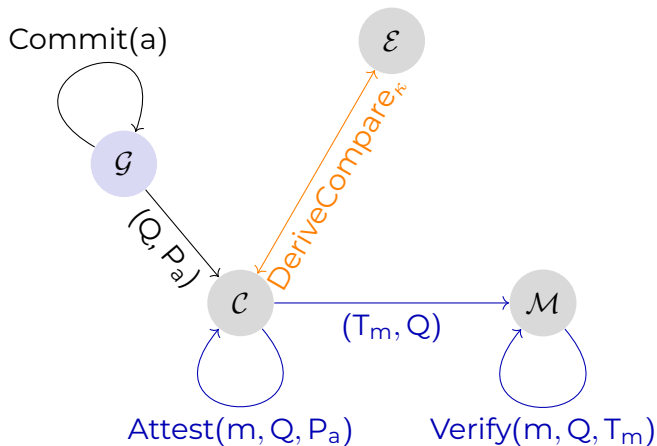
# Achieving Unlinkability

With  $\text{DeriveCompare}_{\kappa}$

- ▶  $\mathcal{E}$  learns nothing about  $Q_{\gamma}$ ,
- ▶ trusts outcome with  $\frac{\kappa-1}{\kappa}$  certainty,
- ▶ i.e.  $\mathcal{C}$  has  $\frac{1}{\kappa}$  chance to cheat.

Note: Still need Derive and Compare to be defined.

# Refined scheme



# Achieving Unlinkability

$\text{DeriveCompare}_\kappa : \mathbb{O} \times \mathbb{P} \times \Omega \rightarrow \{0, 1\}$

$\text{DeriveCompare}_\kappa(Q, P, \omega) =$

- $\mathcal{C}$ :
  - 1. for all  $i \in \{1, \dots, \kappa\} : (Q_i, P_i, \beta_i) \leftarrow \text{Derive}(Q, P, \omega + i)$
  - 2.  $h \leftarrow H(H(Q_1, \beta_1) \parallel \dots \parallel H(Q_\kappa, \beta_\kappa))$
  - 3. send  $(Q, h)$  to  $\mathcal{E}$
- $\mathcal{E}$ :
  - 4. save  $(Q, h)$
  - 5.  $\gamma \xleftarrow{\$} \{1, \dots, \kappa\}$
  - 6. send  $\gamma$  to  $\mathcal{C}$
- $\mathcal{C}$ :
  - 7.  $h'_\gamma \leftarrow H(Q_\gamma, \beta_\gamma)$
  - 8.  $\mathbf{E}_\gamma \leftarrow [(Q_1, \beta_1), \dots, (Q_{\gamma-1}, \beta_{\gamma-1}), \perp, (Q_{\gamma+1}, \beta_{\gamma+1}), \dots, (Q_\kappa, \beta_\kappa)]$
  - 9. send  $(\mathbf{E}_\gamma, h'_\gamma)$  to  $\mathcal{E}$
- $\mathcal{E}$ :
  - 10. for all  $i \in \{1, \dots, \kappa\} \setminus \{\gamma\} : h_i \leftarrow H(\mathbf{E}_\gamma[i])$
  - 11. if  $h \stackrel{?}{=} H(h_1 \parallel \dots \parallel h_{\gamma-1} \parallel h'_\gamma \parallel h_{\gamma+1} \parallel \dots \parallel h_{\kappa-1})$  return 0
  - 12. for all  $i \in \{1, \dots, \kappa\} \setminus \{\gamma\} : \text{if } 0 \stackrel{?}{=} \text{Compare}(Q, Q_i, \beta_i) \text{ return } 0$
  - 13. return 1



# Basic Requirements

Candidate functions

(Commit, Attest, Verify, Derive, Compare)

must first meet *basic* requirements:

- ▶ Existence of attestations
- ▶ Efficacy of attestations
- ▶ Derivability of commitments and attestations

# Basic Requirements

## Formal Details

### Existence of attestations

$$\forall_{\substack{a \in \mathbb{N}_M \\ \omega \in \Omega}} : \text{Commit}(a, \omega) =: (Q, P) \implies \text{Attest}(m, Q, P) = \begin{cases} T \in \mathbb{T}, & \text{if } m \leq a \\ \perp & \text{otherwise} \end{cases}$$

### Efficacy of attestations

$$\text{Verify}(m, Q, T) = \begin{cases} 1, & \text{if } \exists_{P \in \mathbb{P}} : \text{Attest}(m, Q, P) = T \\ 0 & \text{otherwise} \end{cases}$$

$$\forall_{n \leq a} : \text{Verify}(n, Q, \text{Attest}(n, Q, P)) = 1.$$

etc.

# Requirements

## Details

### Derivability of commitments and proofs:

Let

$$\begin{aligned} a &\in \mathbb{N}_M, \omega_0, \omega_1 \in \Omega \\ (Q_0, P_0) &\leftarrow \text{Commit}(a, \omega_0), \\ (Q_1, P_1, \beta) &\leftarrow \text{Derive}(Q_0, P_0, \omega_1). \end{aligned}$$

We require

$$\text{Compare}(Q_0, Q_1, \beta) = 1$$

and for all  $n \leq a$ :

$$\text{Verify}(n, Q_1, \text{Attest}(n, Q_1, P_1)) = \text{Verify}(n, Q_0, \text{Attest}(n, Q_0, P_0))$$

# Security Requirements

Candidate functions must also meet *security* requirements. Those are defined via security games:

- ▶ Game: Age disclosure by commitment or attestation
- ↔ Requirement: Non-disclosure of age
- ▶ Game: Forging attestation
- ↔ Requirement: Unforgeability of minimum age
- ▶ Game: Distinguishing derived commitments and attestations
- ↔ Requirement: Unlinkability of commitments and attestations

Meeting the security requirements means that adversaries can win those games only with negligible advantage.

Adversaries are arbitrary polynomial-time algorithms, acting on all relevant input.

# Security Requirements

## Simplified Example

Game  $G_{\mathcal{A}}^{\text{FA}}(\lambda)$ —Forging an attest:

1.  $(a, \omega) \xleftarrow{\$} \mathbb{N}_{M-1} \times \Omega$
2.  $(Q, P) \leftarrow \text{Commit}(a, \omega)$
3.  $(m, T) \leftarrow \mathcal{A}(a, Q, P)$
4. Return 0 if  $m \leq a$
5. Return  $\text{Verify}(m, Q, T)$

Requirement: Unforgeability of minimum age

$$\forall \mathcal{A} \in \mathfrak{A}(\mathbb{N}_M \times \mathbb{O} \times \mathbb{P} \rightarrow \mathbb{N}_M \times \mathbb{T}) : \Pr \left[ G_{\mathcal{A}}^{\text{FA}}(\lambda) = 1 \right] \leq \epsilon(\lambda)$$

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$$\langle (q_1, p_1), \dots, (q_a, p_a), (q_{a+1}, \perp), \dots, (q_M, \perp) \rangle$$

- ▶  $\vec{Q} := (q_1, \dots, q_M)$  is the *Commitment*,
- ▶  $\vec{P}_a := (p_1, \dots, p_a, \perp, \dots, \perp)$  is the *Proof*



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3. Guardian gives child  $\langle \vec{Q}, \vec{P}_a \rangle$

# Instantiation with ECDSA

## Definitions of Attest and Verify

Child has

- ▶ ordered public-keys  $\vec{Q} = (q_1, \dots, q_M)$ ,
- ▶ (some) private-keys  $\vec{P} = (p_1, \dots, p_a, \perp, \dots, \perp)$ .

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To Attest a minimum age  $m \leq a$ :

Sign a message with ECDSA using private key  $p_m$

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To Verify a minimum age  $m$ :

Verify the ECDSA-Signature  $\sigma$  with public key  $q_m$ .

# Instantiation with ECDSA

## Definitions of Derive and Compare

Child has  $\vec{Q} = (q_1, \dots, q_M)$  and  $\vec{P} = (p_1, \dots, p_a, \perp, \dots, \perp)$ .

# Instantiation with ECDSA

## Definitions of Derive and Compare

Child has  $\vec{Q} = (q_1, \dots, q_M)$  and  $\vec{P} = (p_1, \dots, p_a, \perp, \dots, \perp)$ .

To Derive new  $\vec{Q}'$  and  $\vec{P}'$ : Choose random  $\beta \in \mathbb{Z}_g$  and calculate

$$\vec{Q}' := (\beta * q_1, \dots, \beta * q_M),$$

$$\vec{P}' := (\beta p_1, \dots, \beta p_a, \perp, \dots, \perp)$$

Note:  $(\beta p_i) * G = \beta * (p_i * G) = \beta * q_i$

$\beta * q_i$  is scalar multiplication on the elliptic curve.

# Instantiation with ECDSA

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Exchange gets  $\vec{Q} = (q_1, \dots, q_M)$ ,  $\vec{Q}' = (q'_1, \dots, q'_M)$  and  $\beta$

To Compare, calculate:  $(\beta * q_1, \dots, \beta * q_M) \stackrel{?}{=} (q'_1, \dots, q'_M)$



# Instantiation with ECDSA

Functions (Commit, Attest, Verify, Derive, Compare)  
as defined in the instantiation with ECDSA

- ▶ meet the basic requirements,
- ▶ also meet all security requirements.  
Proofs by security reduction, details are in the paper.

# Instantiation with ECDSA

## Full definitions

$$\text{Commit}_{E,[\cdot]_g}(a, \omega) := \left\langle \overbrace{(q_1, \dots, q_M)}^{=\vec{Q}}, \overbrace{(p_1, \dots, p_a, \perp, \dots, \perp)}^{=\vec{P}, \text{length } M} \right\rangle$$

$$\text{Attest}_{E,H}(b, \vec{Q}, \vec{P}) := \begin{cases} T_b := \text{Sig}_{E,H}(b, \vec{P}[b]) & \text{if } \vec{P}[b] \stackrel{?}{\neq} \perp \\ \perp & \text{otherwise} \end{cases}$$

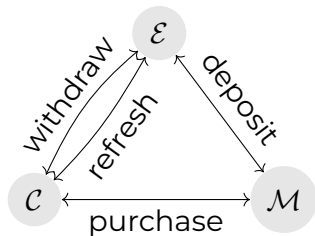
$$\text{Verify}_{E,H}(b, \vec{Q}, T) := \text{Ver}_{E,H}(b, \vec{Q}[b], T)$$

$$\text{Derive}_{E,[\cdot]_g}(\vec{Q}, \vec{P}, \omega) := \left\langle (\beta * q_1, \dots, \beta * q_M), (\beta p_1, \dots, \beta p_a, \perp, \dots, \perp), \beta \right\rangle$$

with  $\beta := [\omega]_g$  and multiplication  $\beta p_i$  modulo  $g$

$$\text{Compare}_E(\vec{Q}, \vec{Q}', \beta) := \begin{cases} 1 & \text{if } (\beta * q_1, \dots, \beta * q_M) \stackrel{?}{=} (q'_1, \dots, q'_M) \\ 0 & \text{otherwise} \end{cases}$$

# Reminder: GNU Taler Fundamentals



- ▶ Coins are public-/private key-pairs  $(C_p, c_s)$ .
- ▶ Exchange blindly signs  $\text{FDH}(C_p)$  with denomination key  $d_p$
- ▶ Verification:

$$1 \stackrel{?}{=} \text{SigCheck}(\text{FDH}(C_p), D_p, \sigma_p)$$

( $D_p$  = public key of denomination and  $\sigma_p$  = signature)

# Integration with GNU Taler

## Binding age restriction to coins

To bind an age commitment  $Q$  to a coin  $C_p$ , instead of signing  $\text{FDH}(C_p)$ ,  $\mathcal{E}$  now blindly signs

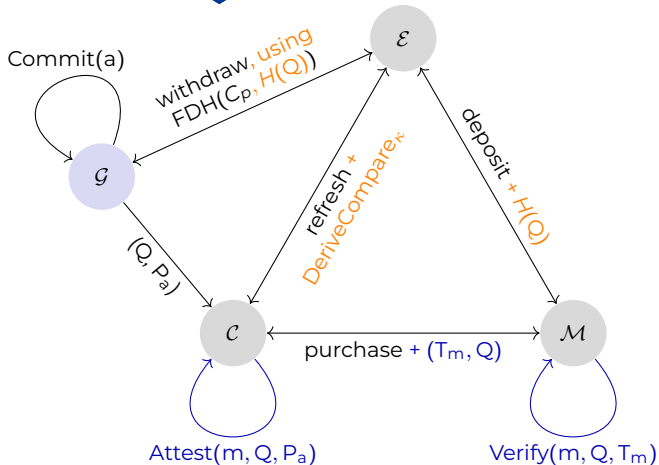
$$\text{FDH}(C_p, H(Q))$$

Verification of a coin now requires  $H(Q)$ , too:

$$1 \stackrel{?}{=} \text{SigCheck}(\text{FDH}(C_p, H(Q)), D_p, \sigma_p)$$

# Integration with GNU Taler

## Integrated schemes



# Instantiation with Edx25519

Paper also formally defines another signature scheme: Edx25519.

- ▶ Scheme already in use in GNUnet,
- ▶ based on EdDSA (Bernstein et al.),
- ▶ generates compatible signatures and
- ▶ allows for key derivation from both, private and public keys, independently.

Current implementation of age restriction in GNU Taler uses Edx25519.

# Age Restrictions based on KYC

Subsidiarity requires bank accounts being owned by adults.

- ▶ Scheme can be adapted to case where minors have bank accounts
  - ▶ Assumption: banks provide minimum age information during bank transactions.
  - ▶ Child and Exchange execute a variant of the cut&choose protocol.

# Discussion

- ▶ Our solution can in principle be used with any token-based payment scheme
- ▶ GNU Taler best aligned with our design goals (security, privacy and efficiency)
- ▶ Subsidiarity requires bank accounts being owned by adults
  - ▶ Scheme can be adapted to case where minors have bank accounts
    - ▶ Assumption: banks provide minimum age information during bank transactions.
    - ▶ Child and Exchange execute a variant of the cut&choose protocol.
- ▶ Our scheme offers an alternative to identity management systems (IMS)



# Related Work

- ▶ Current privacy-perserving systems all based on attribute-based credentials (Koning et al., Schanzenbach et al., Camenisch et al., Au et al.)
- ▶ Attribute-based approach lacks support:
  - ▶ Complex for consumers and retailers
  - ▶ Requires trusted third authority
- ▶ Other approaches tie age-restriction to ability to pay ("debit cards for kids")
  - ▶ Advantage: mandatory to payment process
  - ▶ Not privacy friendly

# Conclusion

Age restriction is a technical, ethical and legal challenge.

Existing solutions are

- ▶ without strong protection of privacy or
- ▶ based on identity management systems (IMS)

Our scheme offers a solution that is

- ▶ based on subsidiarity
- ▶ privacy preserving
- ▶ efficient
- ▶ an alternative to IMS



## **Future Work & Conclusion**

# Use Case: Journalism

Today:

- ▶ Corporate structure
- ▶ Advertising primary revenue
- ▶ Tracking readers critical for business success
- ▶ Journalism and marketing hard to distinguish

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Today:

- ▶ Corporate structure
- ▶ Advertising primary revenue
- ▶ Tracking readers critical for business success
- ▶ Journalism and marketing hard to distinguish

With GNU Taler:

- ▶ One-click micropayments per article
- ▶ Hosting requires no expertise
- ▶ Reader-funded reporting separated from marketing
- ▶ Readers can remain anonymous

# Taler: Project Status

<https://docs.taler.net/>

- ▶ Cryptographic protocols and core exchange component are stable
- ▶ Pilot project at Bern University of Applied Sciences cafeteria
- ▶ Netzbond (regional currency) in Basel launched
- ▶ Taler Operations AG live Swiss-wide
- ▶ Internal alpha deployment with GLS Bank (Germany)
- ▶ Internal alpha deployment with Magnet Bank (Hungary)

# Competitor comparison

	Cash	Bitcoin	Zero coin	Creditcard	GNU Taler
Online	----	++	++	+	+++
Offline	+++	--	--	+	++
Trans. cost	+	----	----	-	++
Speed	+	----	----	o	++
Taxation	-	--	----	+++	+++
Payer-anon	++	o	++	----	+++
Payee-anon	++	o	++	----	----
Security	-	o	o	--	++
Conversion	+++	----	----	+++	+++
Libre	-	+++	+++	- - -	+++

# Other ongoing developments

- ▶ Privacy-preserving auctions (trading, currency exchange) (oezguer@taler.net)
- ▶ Hardware and software support for embedded systems (mikolai@taler.net)
- ▶ Tax-deductable receipts for donations to charities (donau.git)
- ▶ Unlinkable anonymous subscriptions and discount tokens (ivan@taler.net)
- ▶ Support for illiterate and innumerate users<sup>1</sup> (marc@taler.net)

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<sup>1</sup>Background: <https://myoralvillage.org/>



# Open Challenges

- ▶ Try to explain this to lawyers and AML staff of banks
- ▶ What are convincing arguments for citizens to switch?
- ▶ How to address anti-competitive cash-back from card payments?
- ▶ ...

# How to support?

Join: <https://lists.gnu.org/mailman/listinfo/taler>

Discuss: <https://ich.taler.net/>

Develop: <https://bugs.taler.net/>, <https://git.taler.net/>

Apply: <https://nlnet.nl/propose>, <https://nlnet.nl/taler>

Translate: <https://weblate.taler.net/>, [translation-volunteer@taler.net](mailto:translation-volunteer@taler.net)

Integrate: <https://docs.taler.net/>

Donate: <https://gnunet.org/ev>

Partner: <https://taler-systems.com/>

# Conclusion



## **What can we do?**

- ▶ Suffer mass-surveillance enabled by credit card oligopolies with high fees, and
- ▶ Engage in arms race with deliberately unregulatable blockchains



**OR**

- ▶ Establish free software alternative balancing social goals!


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